# ADDITIONS TO AND IMPORTANT REMARKS ON THE NEW HUNGARIAN ROAD DESIGN STANDARD 

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#### Abstract

This article gives a short summary of some latest results and the present standing of the standardrenewal procedure. Our department - as a leader in the scientific side of the field - is generally concerned with the design parameters part, so the chapters of this article deal with the design parameters themselves: radius of horizontal and vertical curves, stopping and overtaking sight distances, transition curves.


Keywords: design parameter limit value, transition curve, horizontal curve, vertical curve, stopping sight distance, overtaking (passing) sight distance.

## 1. Introduction

The increase in urban and rural speed limits (as it is planned by the new Hungarian road regulation) made rethink the calculation method (and the recalculation) of some design parameters necessary. The whole calculation must be cleared of typical mistakes like rounding inaccuracy of values calculated from each other. Clarifying certain theoretical questions and answers, and making calculations more accurate give us new limit values of design parameters in function of design speed. Comparing the new table of design parameter limit values with the present one, or with the present 'new proposal' it is clear that clarifying theoretical questions and correcting inaccuracy will result in difference between the newest and other values. The difference sometimes means that today there are safety and environmental problems and risks, which both could be cleared up. The newest version has empty columns, too: the highest design speed is $120 \mathrm{~km} / \mathrm{h}$, but the new speed limit will be $130 \mathrm{~km} / \mathrm{h}$ on motorways. This column must be filled.

## 2. Horizontal Curves

The behaviour of a vehicle in superelevated horizontal curves depends on the curve radius. To get a relation first we have to see the equations (inequalities) in Fig.l.

The vehicle must stay on it's original course:

$$
G \cdot \sin \alpha+f_{S}(v) \cdot\left(G \cdot \cos \alpha+F_{r} \cdot \sin \alpha\right) \geq F_{r} \cdot \cos \alpha
$$

After transforming this equation and taking $\tan \alpha$ as $q$, and use the equation for $f_{L}(v)$ measured in Germany [6] (signed [**] below) it is possible to get an explicit algebraic expression including $R_{\min }$ :

$$
\min R=\frac{v_{d}^{2}}{3.6^{2} \cdot g \cdot\left(\max f_{S} \cdot n+q\right)}
$$

where
$v_{d}$ - design speed (km/h);
$f_{S}$ - sideways friction factor [*];
$f_{L}$ - longways friction factor [**];
$n$ - efficient degree of sidewise friction factor;
$q$ - degree of superelevation (\%).
[*] $\max f_{S}=0.925 \cdot \max f_{L}$
[**] $\max f_{L}=0.241 \cdot\left(\frac{v_{d}}{100}\right)-0.721 \cdot\left(\frac{v_{d}}{100}\right)+0.708$


Fig. 1. A vehicle in a superelevated horizontal curve
Table 1 contains calculated values of $f_{S}$ and $f_{L}$ at different design speed values.

Table 2 contains the suggested values of $R_{\min }$ and other two values taking into account different pairs of $q$ and $n$. The contents of Table 3 are the present values of $R_{\min }$. Comparing them with the new results rounding seems to be the only difference between the new and the present version.

Table 1. Calculated values of $f_{S}$ and $f_{L}$

| $v_{d}(\mathrm{~km} / \mathrm{h})$ | $f_{S}$ | $f_{L}$ |
| :---: | :---: | :---: |
| 30 | 0.4749 | 0.5134 |
| 40 | 0.4238 | 0.4582 |
| 50 | 0.3772 | 0.4078 |
| 60 | 0.3350 | 0.3622 |
| 70 | 0.2973 | 0.3214 |
| 80 | 0.2640 | 0.2854 |
| 90 | 0.2375 | 0.2567 |
| 100 | 0.2109 | 0.2280 |
| 110 | 0.1910 | 0.2065 |
| 120 | 0.1756 | 0.1898 |
| 130 | 0.1646 | 0.1780 |
| 140 | 0.1581 | 0.1710 |
| 150 | 0.1561 | 0.1688 |

Table 2. Suggested values of $R_{\text {min }}$

| $v_{d}$ | $(q=0.07 ; n=0.5)$ |  | $(q=0.025 ; n=0.1)$ |  | $(q=-0.025 ; n=0.3)$ |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $(\mathrm{km} / \mathrm{h})$ | $R_{\min }(\mathrm{m})$ | $n \cdot \max f_{S}$ | $R_{\min }(\mathrm{m})$ | $n \cdot \max f_{S}$ | $R_{\min }(\mathrm{m})$ | $n \cdot \max f_{S}$ |
| 30 | 25 | 0.24 | 100 | 0.05 | 65 | 0.13 |
| 40 | 45 | 0.21 | 190 | 0.04 | 125 | 0.12 |
| 50 | 75 | 0.19 | 315 | 0.04 | 225 | 0.11 |
| 60 | 120 | 0.17 | 485 | 0.03 | 375 | 0.10 |
| 70 | 175 | 0.15 | 705 | 0.03 | 600 | 0.09 |
| 80 | 250 | 0.13 | 980 | 0.03 | 930 | 0.08 |
| 90 | 340 | 0.12 | 1315 | 0.02 | 1420 | 0.07 |
| 100 | 450 | 0.11 | 1710 | 0.02 | 2100 | 0.06 |
| 110 | 575 | 0.10 | 2130 | 0.02 | 3000 | 0.06 |
| 120 | 720 | 0.09 | 2660 | 0.02 | 4100 | 0.05 |
| 130 | 880 | 0.09 | 3200 | 0.02 | 5450 | 0.05 |
| 140 | 1040 | 0.08 | 3780 | 0.02 | 6870 | 0.05 |
| 150 | 1200 | 0.08 | 4360 | 0.02 | 8100 | 0.05 |

Table 3. The present values of $R_{\text {min }}$

| $v_{d}(\mathrm{~km} / \mathrm{h})$ | $R_{\min }(\mathrm{m})$ | $q(\%)$ | $n \cdot \max f_{S}$ |
| :---: | :---: | :---: | :---: |
| 50 | 100 | 6 | 0.14 |
| 60 | 150 | 5 | 0.14 |
| 70 | 200 | 5 | 0.14 |
| 80 | 300 | 5 | 0.12 |
| 90 | - | - | - |
| 100 | 500 | 5 | 0.11 |
| 110 | - | - | - |
| 120 | 750 | 4.5 | 0.10 |

## 3. Transition Curves

There were no theoretical problems with transition curves (linear radius-transition), but in special cases, for example very low speed values or under urban conditions there are no acceptable reasons to use transition curves. The basic equations to calculate minimum transition curve are seen below:

$$
p_{\min }=\frac{R}{3}, \quad L=\frac{p^{2}}{R}, \quad \Delta R=\frac{L^{2}}{24 \cdot R}
$$

where
$p_{\text {min }}$ - minimum parameter of the transition curve;
$R$-radius of the connecting curve;
$L$ - length of the transition curve;
$\Delta R$ - shift of the curve.

Table 4. Transition curve parameters

| $V_{d}(\mathrm{~km} / \mathrm{h})$ | 30 | 40 | 50 | 60 | 70 | 80 | 90 | 100 | 110 | 120 | 130 | 140 | 150 |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $R_{\min }(\mathrm{m})$ | 25 | 45 | 80 | 120 | 180 | 250 | 340 | 450 | 575 | 720 | 880 | 1040 | 1200 |
| $p_{\min }(\mathrm{m})$ | $15^{*}$ | $25^{*}$ | 30 | 40 | 60 | 80 | 110 | 150 | 200 | 240 | 290 | 345 | 400 |
| $L_{\min }(\mathrm{m})$ | 9.00 | 13.9 | 11.3 | 13.3 | 20.0 | 25.6 | 34.5 | 50.0 | 69.0 | 80.0 | 100.0 | 115.0 | 133.0 |
| $\Delta R(\mathrm{~m})^{*}$ | 0.13 | 0.18 | 0.07 | 0.06 | 0.09 | 0.11 | 0.14 | 0.23 | 0.34 | 0.37 | 0.45 | 0.53 | 0.61 |

* Superelevation-runoff must be in the transition curve. This is why these lengths are longer than as it would have come from the calculation above.

Table 4 shows the results.

## 4. Stopping Sight Distance

By definition we have to find the shortest distance from which an object (which is $h$ meters high) lying on the road surface can be perceptible for the driver (whose eye level height is $d$ ), in order to be able to stop the vehicle before reaching the object (Fig. 2). To calculate the minimum stopping sight distance we must add two distances that are: the distance ran during reaction time, and the distance ran during braking. The equation is:

$$
S_{s}=\frac{v_{d}}{3.6} \cdot t_{R}+\frac{1}{3.6^{2} \cdot g} \int_{0}^{v_{d}} \frac{v}{f_{L}(v)+\frac{e}{100}+\frac{W_{L}}{G}} \mathrm{~d} v,
$$

where
$S_{s}$ - stopping sight distance (m);
$v_{d}$ - design speed (km/h);
$t_{R}$ - reaction time ( 2 s );
$f_{L}$ - longway friction factor [*];
$W_{L}$ - longway windage of the vehicle (N) [**];
$G$ - weight of the vehicle (N) [**];
$e$ - signed longway gradient of the road axis (\%).
$\left.{ }^{[ }{ }^{*}\right] f_{L}=0.241 \cdot\left(\frac{v}{100}\right)^{2}-0.721 \cdot\left(\frac{v}{100}\right)+0.708$
[**] $\frac{W_{L}}{G}=0.327 \cdot 10^{-4} \cdot\left(\frac{v}{3.6}\right)^{2}$


Fig. 2. Definition of stopping sight distance
Fig. 3 shows the results of the calculations, Table 5 contains the present values of stopping sight distance. Note that reality does not always match with these new results, especially at higher speed values ( $90-130 \mathrm{~km} / \mathrm{h}$ ) [5]. These differences may give us a reason to believe that the vehicle fleet of Hungary developed faster than standardisation.


Fig. 3. Calculated values of stopping sight distance

Table 5. Present values of stopping sight distance

| $V_{d}(\mathrm{~km} / \mathrm{h})$ | $S_{s}(\mathrm{~m})$ |
| :---: | :---: |
| 50 | 50 |
| 60 | 70 |
| 70 | 90 |
| 80 | 120 |
| 90 | - |
| 100 | 190 |
| 110 | - |
| 120 | 270 |

## 5. Overtaking Sight Distance

A common overtaking happens at constant overtaking speed, under the conditions below:

Speed of the vehicle being overtaken: $0.85 v_{d}$
Length of the vehicle being overtaken: 18 m
Speed of the overtaking vehicle: $\quad 1.1 v_{d}$
Length of the overtaking vehicle: 5 m
By definition, the overtaking vehicle must be after the overtaking at least a stopping sight distance away from the vehicle coming from the opposite direction (Fig. 4). So the equation of overtaking will be

$$
0.85 \cdot v_{d} \cdot t+2 \cdot k+5+18=1.1 \cdot v_{d} \cdot t
$$

where
$k$-distance before and after overtaking (15 m)
$t$ - overtaking time:

$$
t=\frac{2 \cdot k+23}{0.25 \cdot v_{d}}=\frac{8 \cdot k+92}{v_{d}}
$$

The whole overtaking sight distance $\left(S_{O}\right)$ is the sum of three different distances (as can be seen in Fig. 4):

$$
S_{O}=D_{1}+D_{2}+D_{3}
$$

The first distance $\left(D_{1}\right)$ will be the overtaking distance:

$$
D_{1}=1.1 \cdot v_{d} \cdot t=1.1 \cdot v_{d} \cdot \frac{8 \cdot k+92}{v_{d}}=8.8 \cdot k+101.2
$$

The second is the distance $\left(D_{2}\right)$ run by the vehicle coming from the opposite direction during the time of overtaking:

$$
D_{2}=v_{d} \cdot t=v_{d} \cdot \frac{8 \cdot k+92}{v_{d}}=8 \cdot k+92
$$

There must be a third safety distance between the overtaking and the other vehicle coming from the opposite direction after the whole manoeuvre $\left(D_{3}\right)$, which will be the stopping sight distance of the vehicle coming from the opposite direction:

$$
D_{3}=S_{3}\left(v_{d}\right)
$$

So their sum will be

$$
S_{O}=D_{1}+D_{2}+D_{3}=16.8 \cdot k+193.2+D_{3}
$$

The results for each design speed are contained in Table 6 , the present values of overtaking sight distance can be seen in Table7. Note that these calculated values of overtaking sight distance are sometimes $40 \%$ bigger than real values [5]. It means that at these speed values ( $30-60 \mathrm{~km} / \mathrm{h}$ ) smaller values are acceptable (as can be seen in [5], p. 41, Table 5).


Fig. 4. The overtaking process

Table 6. Calculated values of overtaking sight distance

| $V_{d}(\mathrm{~km} / \mathrm{h})$ | $S_{O}(\mathrm{~m})$ |
| :---: | :---: |
| 30 | 470 |
| 40 | 480 |
| 50 | 495 |
| 60 | 510 |
| 70 | 530 |
| 80 | 555 |
| 90 | 585 |
| 100 | 615 |
| 110 | 655 |
| 120 | $700^{*}$ |
| 130 | $750^{*}$ |
| 140 | $805^{*}$ |
| 150 | $860^{*}$ |

*These values were calculated and presented just for the special case when traffic uses only one half of a motorway.

Table 7. Present values of overtaking sight distance

| $V_{d}(\mathrm{~km} / \mathrm{h})$ | $S_{O}(\mathrm{~m})$ |
| :---: | :---: |
| 50 | 300 |
| 60 | 380 |
| 70 | 420 |
| 80 | 480 |
| 90 | - |
| 100 | 600 |
| 110 | 660 |
| 120 | 720 |

## 6. Convex Vertical Curves

The curve radius needed to ensure stopping ( $R_{X S}$ ) before an object on the road surface:

$$
R_{X S}=\frac{S_{S}^{2}}{2\left(\sqrt{d}+\sqrt{h\left(v_{d}\right)}\right)^{2}}
$$

The curve radius needed to ensure overtaking $\left(R_{x o}\right)$ :

$$
R_{X O}=\frac{S_{O}^{2}}{8 \cdot h}
$$

where
$R_{X} \quad$ - convex curve radius (m)
$S_{S} \quad$ - stopping sight distance (m)
$S_{O}$ - overtaking sight distance (m)
d - driver's eye level ( 1.00 m )
$h\left(v_{d}\right)$ - object height when stopping, see Table 8
$h \quad-$ object height when overtaking, constant ( 1.00 m )
The calculated convex curve radiuses (needed to ensure stopping ( $R_{X S}, h$ depends on $v_{d}$ ) and overtaking ( $\left.R_{X O}, h=1.00\right)$ ) can be seen in Table 9 . Present values are contained in Table 10.

Table 8. Object heights for convex curve calculations

| $v_{d}(\mathrm{~km} / \mathrm{h})$ | $h(\mathrm{~m})$ |
| :---: | :---: |
| 30 | 0 |
| 40 | 0 |
| 50 | 0 |
| 60 | 0 |
| 70 | 0 |
| 80 | 0.05 |
| 90 | 0.10 |
| 100 | 0.10 |
| 110 | 0.20 |
| 120 | 0.20 |
| 130 | 0.20 |
| 140 | 0.20 |
| 150 | 0.20 |

Table 9. Calculated values of convex vertical curves

| $v_{d}(\mathrm{~km} / \mathrm{h})$ | $R_{x s}(\mathrm{~m})$ | $R_{x o}(\mathrm{~m})$ |
| :---: | ---: | :--- |
| 30 | 300 | 27500 |
| 40 | 600 | 29000 |
| 50 | 1150 | 30500 |
| 60 | 2100 | 32500 |
| 70 | 3600 | 35000 |
| 80 | 4000 | 38500 |
| 90 | 5500 | 42500 |
| 100 | 8500 | 47500 |
| 110 | 11500 | 54000 |
| 120 | 16000 | $61500^{*}$ |
| 130 | 22500 | $70000^{*}$ |
| 140 | 31000 | $81000^{*}$ |
| 150 | 41500 | $93000^{*}$ |

*These values were calculated and presented just for the special case when traffic uses only one half of a motorway.

Table 10. Present values of convex vertical curves

| $v_{d}(\mathrm{~km} / \mathrm{h})$ | $R_{x s}(\mathrm{~m})$ | $R_{x o}(\mathrm{~m})$ |
| :---: | :---: | :---: |
| 50 | - | 10000 |
| 60 | 1000 | 15000 |
| 70 | 2000 | 20000 |
| 80 | 3500 | 25000 |
| 90 | - | - |
| 100 | 7500 | 40000 |
| 110 | - | - |
| 120 | 15000 | 50000 |

## 7. Concave Vertical Curves

In case of a concave vertical curve in the daytime there are no objects to block the driver's sight. So the only necessary condition to ensure the driver to stop the vehicle before any object lying on the road surface is the perceptibility at night. This condition will be met when the headlights of the vehicle overshine a range of the stopping sight distance (as can be seen in Fig. 5).
The relation can be read form Fig. 5 is

$$
h+S_{S} \cdot \sin \phi=\frac{S_{S}^{2}}{2 \cdot R_{C}}
$$



Fig. 5. The definition of minimum concave vertical curve
so the curve radius needed to ensure stopping $\left(R_{c}\right)$ will be

$$
R_{C}=\frac{S_{S}^{2}}{2 \cdot\left(h+S_{s} \cdot \sin \phi\right)}
$$

where
$R_{c}$ - concave curve radius (m);
$h$ - headlight level of the vehicle ( 0.5 m );
$\phi$ - long-range light angle (1*).
Table 11 contains the results.

Table 11. Calculated values of concave vertical curves

| $v_{d}(\mathrm{~km} / \mathrm{h})$ | $R_{C}(\mathrm{~m})$ |
| :---: | ---: |
| 30 | 300 |
| 40 | 550 |
| 50 | 850 |
| 60 | 1300 |
| 70 | 1800 |
| 80 | 2500 |
| 90 | 3300 |
| 100 | 4300 |
| 110 | 5400 |
| 120 | 6600 |
| 130 | 8000 |
| 140 | 9500 |
| 150 | 11000 |

## 8. Summary

This article is primarily trying to clarify the calculation method of road design parameters, and their limit values. On the other hand there are some theoretical questions to get through [1] [2], and practical demonstration projects to compare the new results with [5].

Table 12. Comparison of present and calculated values of design parameters

| Design parameters |  | Design speed |  |  |  |  |  |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | 30 | 40 | 50 | 60 | 70 | 80 | 90 | 100 | 110 | 120 | 130 | 140 | 150 |
| Horizontal alignment | Horizontal curve radius $\quad \min R(\mathrm{~m})$ | 25 | 45 | 80 | 120 | 180 | 250 | 340 | 450 | 575 | 720 | 880 | 1040 | 1200 |
|  | Transition curve parameter $\quad \min p(\mathrm{~m})$ | $\begin{array}{\|ll\|} \hline & 15 \\ \hline 21 & \\ \hline \end{array}$ | $\begin{array}{\|r\|} \hline 25 \\ 32 \\ \hline \end{array}$ | $\begin{array}{\|ll\|} \hline & 30 \\ \hline 48 & \\ \hline \end{array}$ | $64 \quad 40$ | 85* 60 | $\begin{array}{r} 80 \\ 130^{*} \\ \hline \end{array}$ | 110 $15{ }^{*}$ | $\begin{array}{\|c\|} \hline 150 \\ \hline 175 \\ \hline \end{array}$ | 200 | 240 | 290 | 345 | 400 |
| Vertical alignment | Convex vertical curve <br>  <br>  <br> distance min $R_{x S}(\mathrm{~m})$ | $\begin{array}{\|l\|} \hline 260 \\ 160 \end{array}$ | $\begin{gathered} 600 \\ 350 \\ \hline \end{gathered}$ | $\begin{aligned} & 1200 \\ & 700 \\ & \hline \end{aligned}$ | $\begin{gathered} 2000 \\ 1200 \end{gathered}$ | $\begin{array}{\|c\|} \hline 3500 \\ 2100 \\ \hline \end{array}$ | $4000$ | $\begin{array}{r} 5500 \\ 5500 \end{array}$ | $8500$ | 11000 | $\begin{gathered} 16000 \\ 16500 \\ \hline \end{gathered}$ | 22500 | 31000 | 41500 |
|  | from overtaking sight distance $\min R_{x o}(\mathrm{~m})$ | $11000$ | $13500$ | - 16500 | $\begin{array}{\|l\|} \hline 32500 \\ 20000 \\ \hline \end{array}$ | \|35000 | $\begin{array}{\|l\|} \hline 38500 \\ \hline 30000 \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline 42500 \\ 40000 \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline 47500 \\ \hline 50000 \\ \hline \end{array}$ | 54000 | $\begin{array}{\|c\|} \hline 61500 \\ \hline 80000 \\ \hline \end{array}$ | 70000 | 81000 | 93000 |
|  | Concave vertical curve $\quad \min R_{C}$ | $\begin{array}{\|c\|} \hline 300 \\ 250 \\ \hline \end{array}$ | $\begin{gathered} 550 \\ 500 \\ \hline \end{gathered}$ | $\begin{array}{\|c\|} \hline 850 \\ 800 \\ \hline \end{array}$ | $\begin{array}{\|c\|} \hline 1300 \\ 1100 \\ \hline \end{array}$ | $\begin{array}{\|c\|} \hline 1800 \\ \hline 1600 \\ \hline \end{array}$ | $\begin{array}{\|c\|} \hline 2500 \\ 2300 \\ \hline \end{array}$ | $\begin{array}{\|c\|} \hline 3300 \\ 3000 \\ \hline \end{array}$ | $\begin{array}{\|c\|} \hline 4300 \\ \hline 3900 \\ \hline \end{array}$ | 5400 | $\begin{gathered} 6600 \\ 6500 \\ \hline \end{gathered}$ | 8000 | 9500 | $11000$ |
| Sight distance | Stopping sight distance ( $e=0 \%$ ) $\quad \min S_{S}(\mathrm{~m})$ | 25 | 35 | 50 | 65 | 85 | 110 | 140 | 170 | 210 | 260 | 310 | 360 | 420 |
|  | Overtaking sight distance (e=0\%) min $S_{0}(\mathrm{~m})$ | $\begin{array}{\|l\|} \hline 470^{* *} \\ \hline 300 \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline 480^{* *} \\ 330 \\ \hline \end{array}$ | 495** | 510** 400 | $530^{* *}$ <br> 440 | 555** 500 | 560 | 640 | 655 | 700 800 | 750 | 805 | 860 |

* the present values could only be applied if superelevation length is relevant $\quad \square$ - present (or matching) values
** decreasing these values (as can be read in [5]) requires consideration

Table 12 seems to be the best as a summary, there are all the new (and the compared) results in it, and can be taken as a suggestion to be the new standard.

During the whole recalculation-reconsideration process the main aspect was SAFETY. So the new limit values may lead us to either more (smaller values like transition curve parameter or overtaking sight distance) or less (higher values like vertical curve radiuses) economical, but always safe solutions.

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